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Studying hadronization in the nuclear medium with heavy flavor production at the future Electron Ion Collider

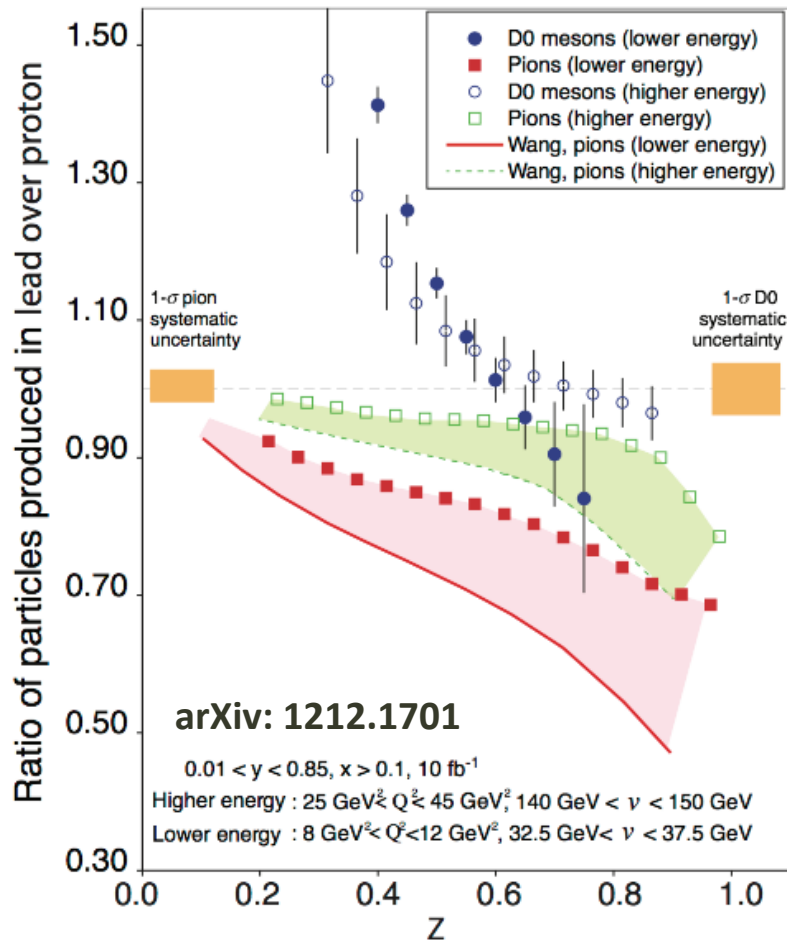
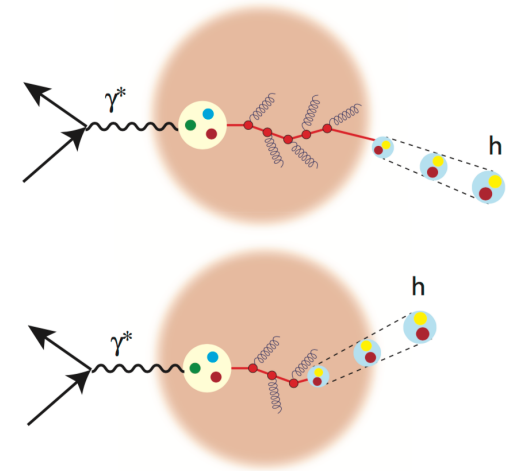
Wenqing Fan and Kyle Deveaux (in collaboration with Barbara Jacak, Xin Dong, Ernst Sichtermann, Yuanjing Ji, Sooraj Radhakrishnan, Yuxiang Zhao and Barak Schmookler)

RNC Group Meeting, 11/17/2022

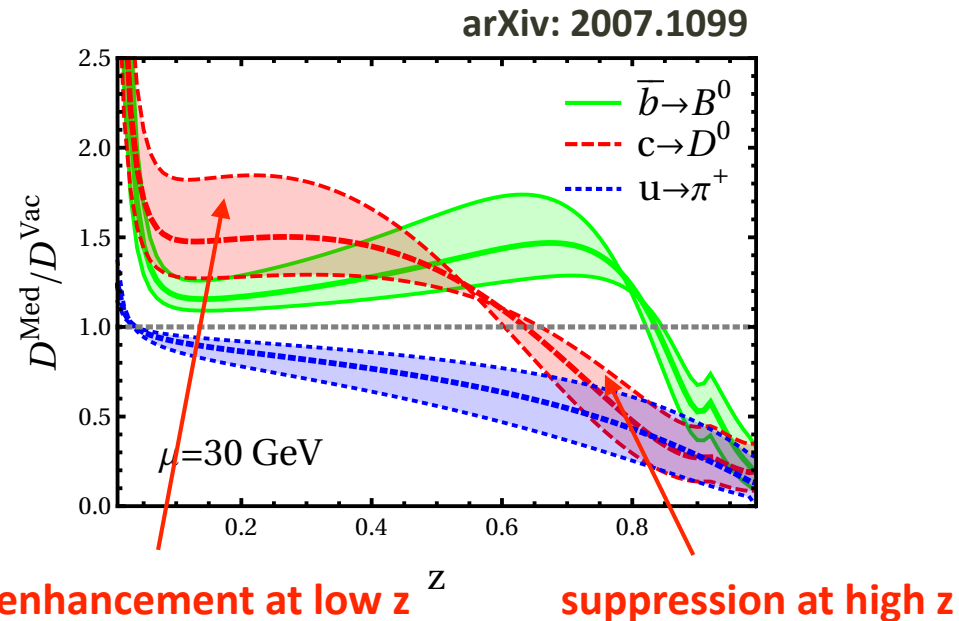
Motivation

► Study nuclear modification of (light and) heavy hadron production in different eA systems

- ❖ Hadronization scale
- ❖ Energy loss mechanism inside nucleus



Interesting to also look at Λ_c (modification on parton level or hadron level or mixed?)



Nuclear modification in eA

► Disentangle the initial state and final state effect

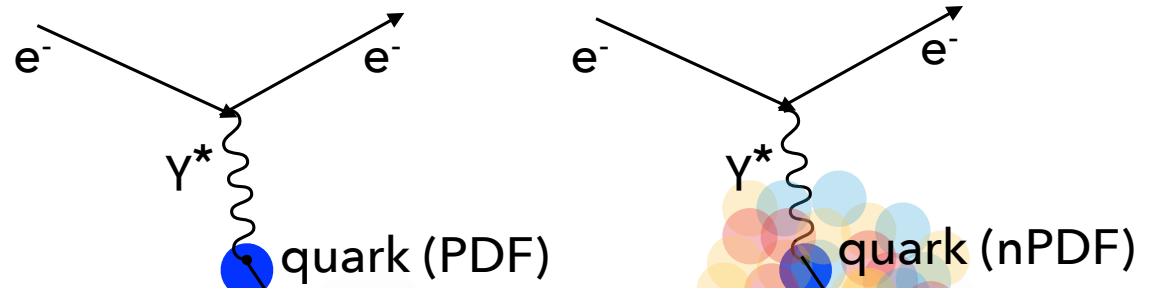
$$R_{eA}(x, Q^2, z) = \frac{\left(\frac{N^h(x, Q^2, z)}{N^e(x, Q^2)} \right)_{e+A}}{\left(\frac{N^h(x, Q^2, z)}{N^e(x, Q^2)} \right)_{e+p}} = \frac{N^h(x, Q^2, z)_{e+A}}{N^h(x, Q^2, z)_{e+p}} \cdot \frac{N^e(x, Q^2)_{e+p}}{N^e(x, Q^2)_{e+A}}$$

arXiv: 0704.3270

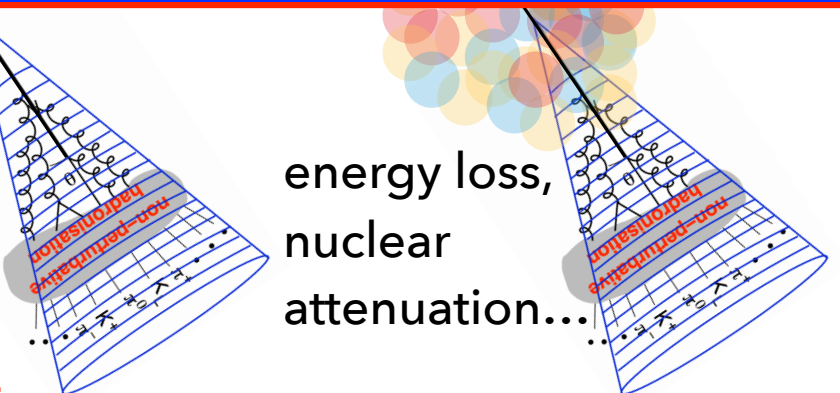
Fractional energy of the final state hadron z: $z = \frac{P \cdot p}{P \cdot q} \stackrel{\text{nucleus rest frame}}{=} \frac{E_h}{\nu}$

Cancel out initial state effect

Initial state effect



Final state effect



Nuclear modification in eA

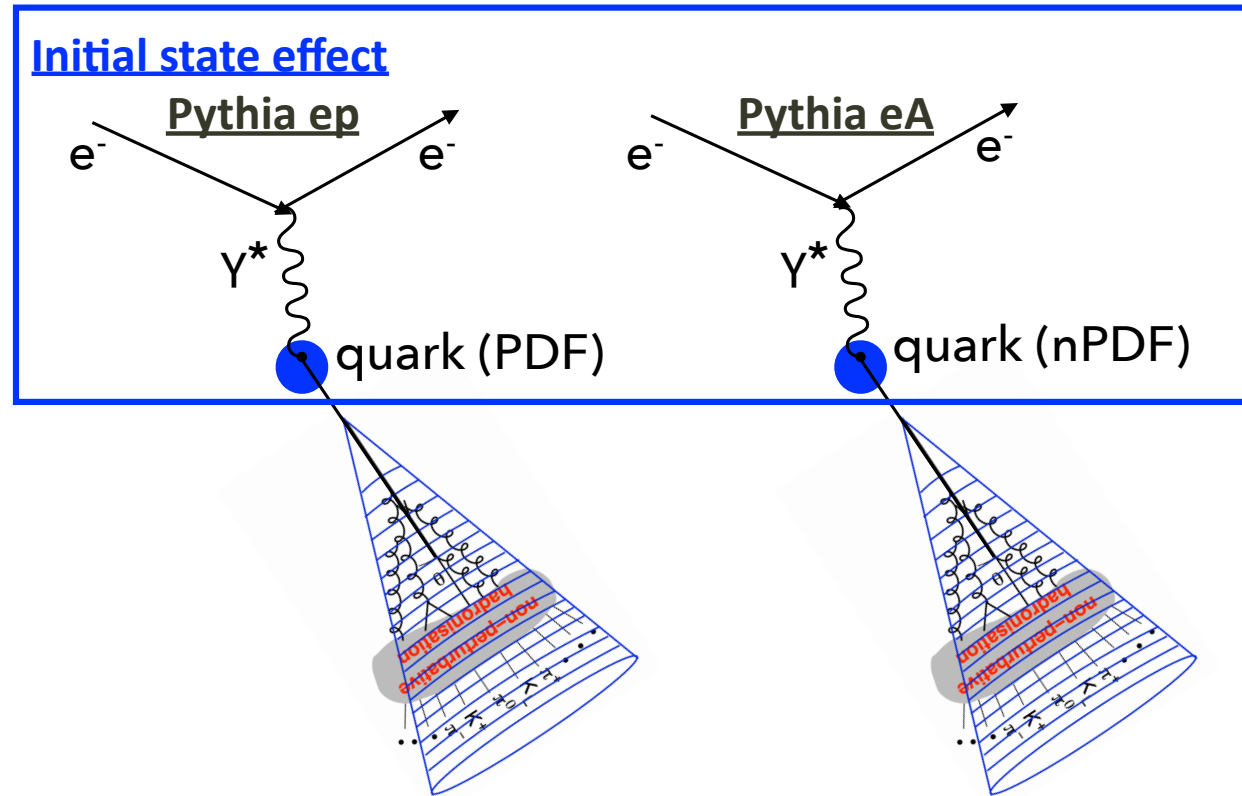
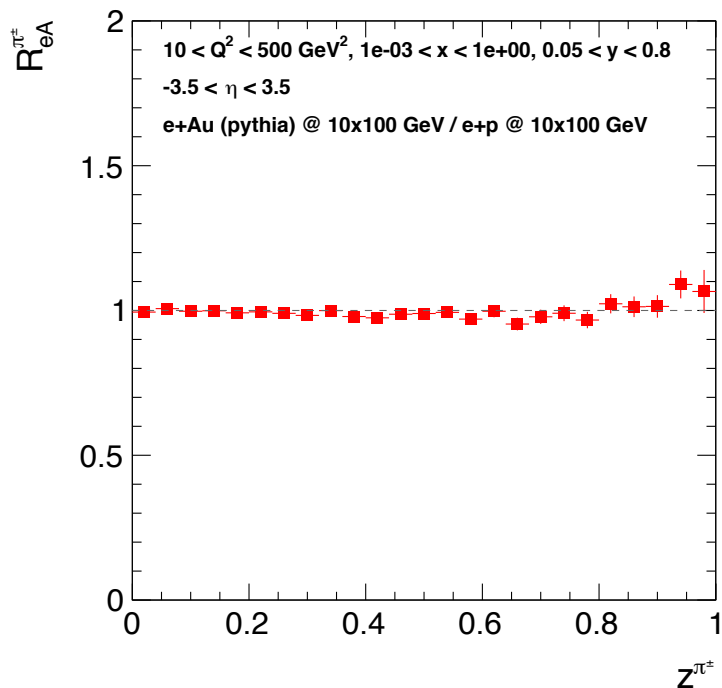
► Disentangle the initial state and final state effect

$$R_{eA}(x, Q^2, z) = \frac{\left(\frac{N^h(x, Q^2, z)}{N^e(x, Q^2)} \right)_{e+A}}{\left(\frac{N^h(x, Q^2, z)}{N^e(x, Q^2)} \right)_{e+p}} = \frac{N^h(x, Q^2, z)_{e+A}}{N^h(x, Q^2, z)_{e+p}} \cdot \frac{N^e(x, Q^2)_{e+p}}{N^e(x, Q^2)_{e+A}}$$

arXiv: 0704.3270

Cancel out initial state effect

❖ nPDF effect cancelled out well for light flavor hadrons



Nuclear modification in eA

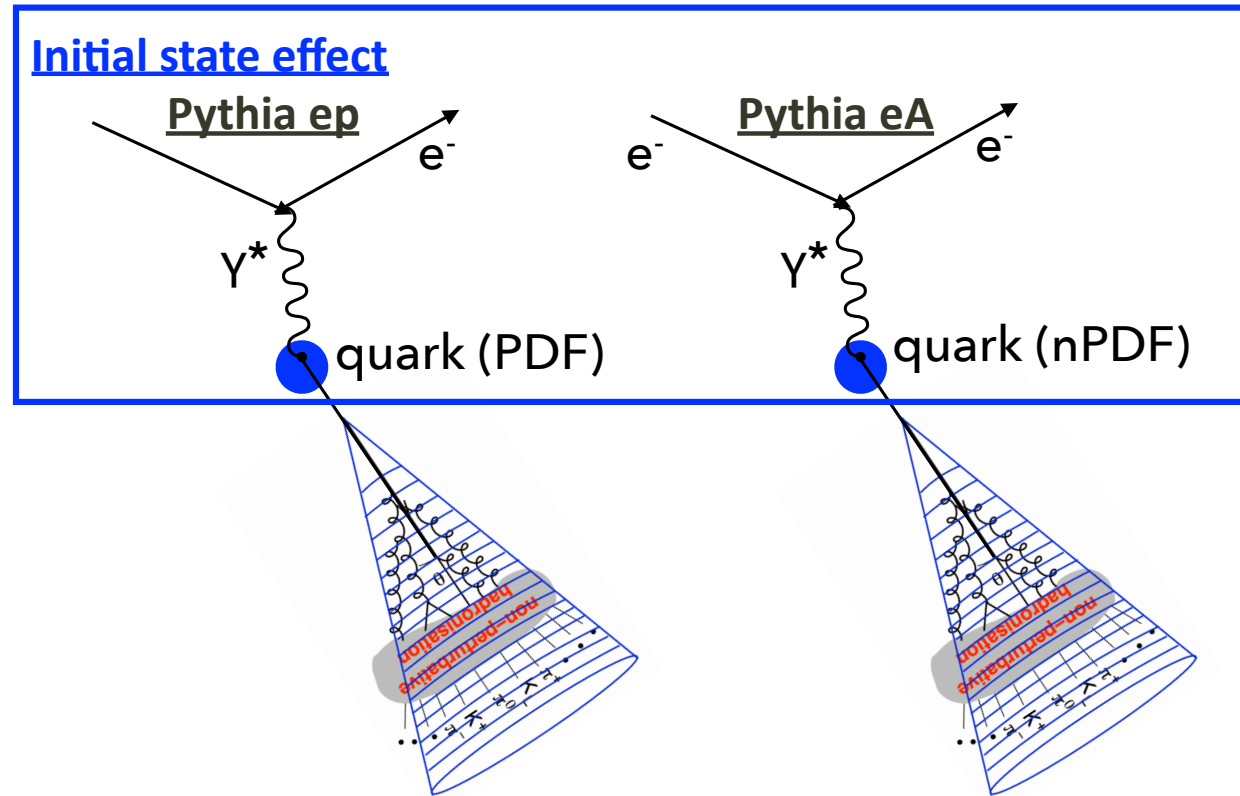
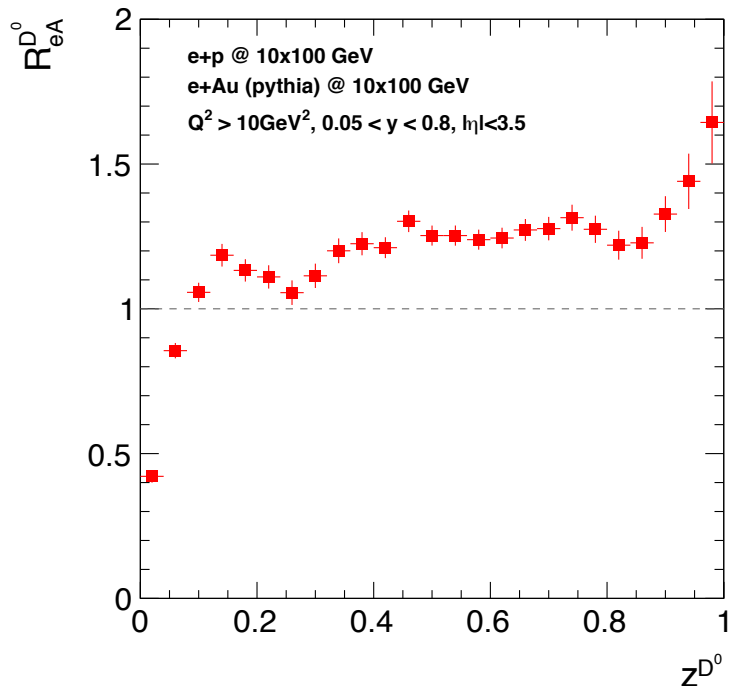
► Disentangle the initial state and final state effect

$$R_{eA}(x, Q^2, z) = \frac{\left(\frac{N^h(x, Q^2, z)}{N^e(x, Q^2)} \right)_{e+A}}{\left(\frac{N^h(x, Q^2, z)}{N^e(x, Q^2)} \right)_{e+p}} = \frac{N^h(x, Q^2, z)_{e+A}}{N^h(x, Q^2, z)_{e+p}} \cdot \frac{N^e(x, Q^2)_{e+p}}{N^e(x, Q^2)_{e+A}}$$

arXiv: 0704.3270

Cancel out initial state effect

❖ nPDF effect **NOT** cancelled out for heavy flavor hadrons



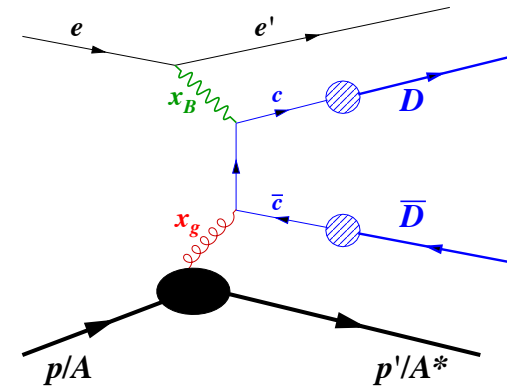
Nuclear modification in eA

► Disentangle the initial state and final state effect

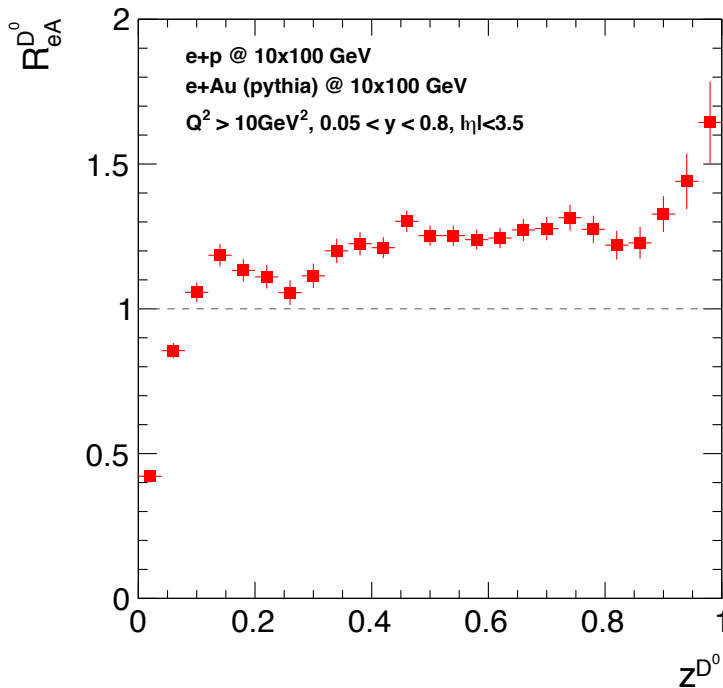
$$R_{eA}(x, Q^2, z) = \frac{\left(\frac{N^h(x, Q^2, z)}{N^e(x, Q^2)} \right)_{e+A} \leftarrow N^{c\bar{c}}(x, Q^2)}{\left(\frac{N^h(x, Q^2, z)}{N^e(x, Q^2)} \right)_{e+p} \leftarrow N^{c\bar{c}}(x, Q^2)} = \frac{N^h(x, Q^2, z)_{e+A}}{N^h(x, Q^2, z)_{e+p}} \neq \frac{N^h(x, Q^2, z)_{e+A}}{N^e(x, Q^2)_{e+A}} \frac{N^e(x, Q^2)_{e+p}}{N^e(x, Q^2)_{e+p}}$$

arXiv: 0704.3270

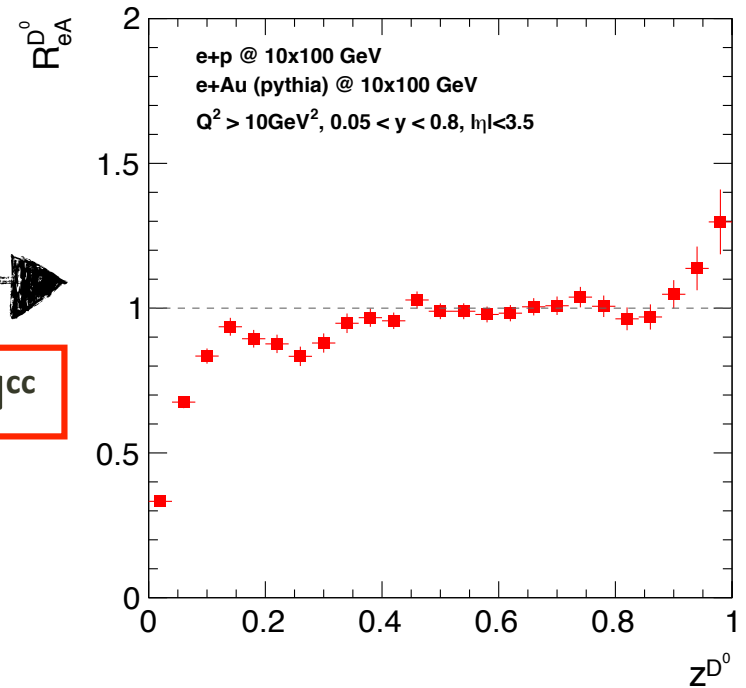
Cancel out initial state effect



❖ Charm cross section cancels out the initial state effect better for charm hadrons



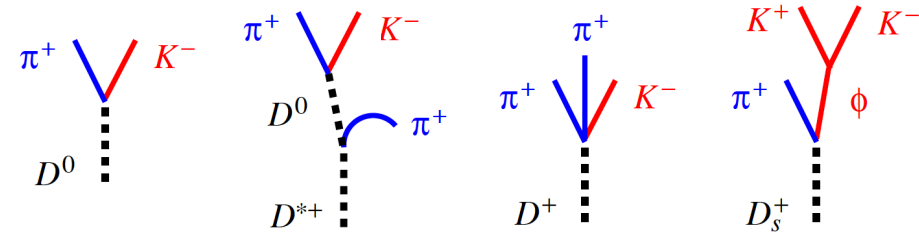
➔
Replacing N^e by $N^{c\bar{c}}$



Charm hadron reconstruction via hadronic decays

- ▶ Key of precision heavy flavor hadron reconstruction → reduce the stat. err. for the signal extraction

- ❖ High statistics (increase SG)



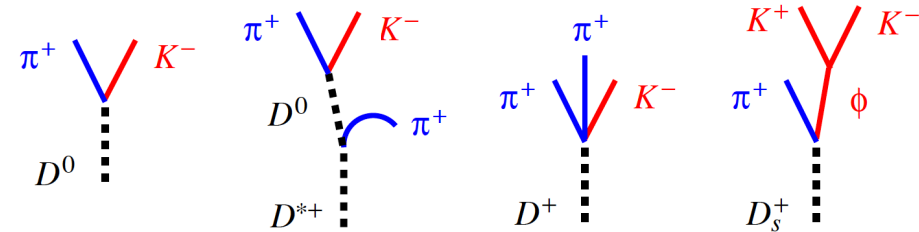
- ❖ High purity (decrease BG/SG)

$$\text{Stat. Err.} = \sqrt{(SG+BG)/SG} = \sqrt{1/SG + BG/SG}$$

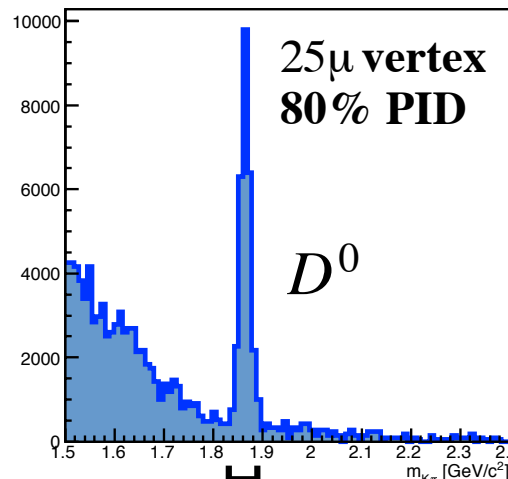
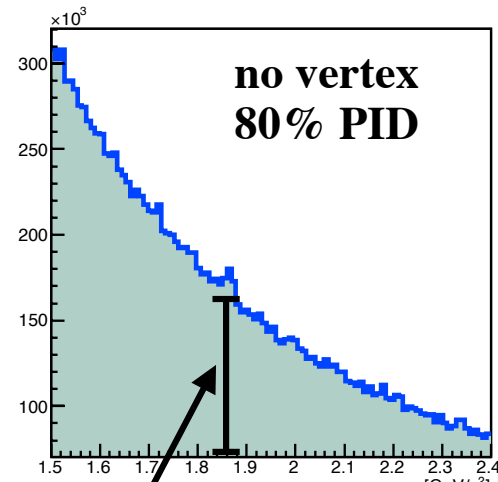
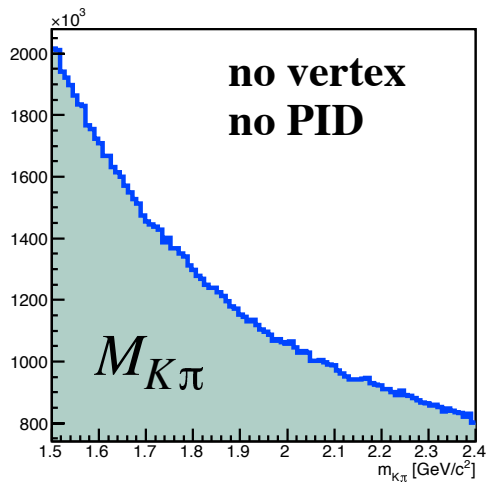
Charm hadron reconstruction via hadronic decays

► Key of precision heavy flavor hadron reconstruction → reduce the stat. err. for the signal extraction

- ❖ High statistics (increase SG)
- ❖ High luminosity + good detector acceptance
- ❖ High purity (decrease BG/SG)



$$\text{Stat. Err.} = \sqrt{(\text{SG} + \text{BG}) / \text{SG}} = \sqrt{1 / \text{SG} + \text{BG} / \text{SG}}$$



Particle	$c\tau$
D^0	123 μm
D^\pm	312 μm
B^0	456 μm
B^\pm	491 μm
Λ_c	60 μm

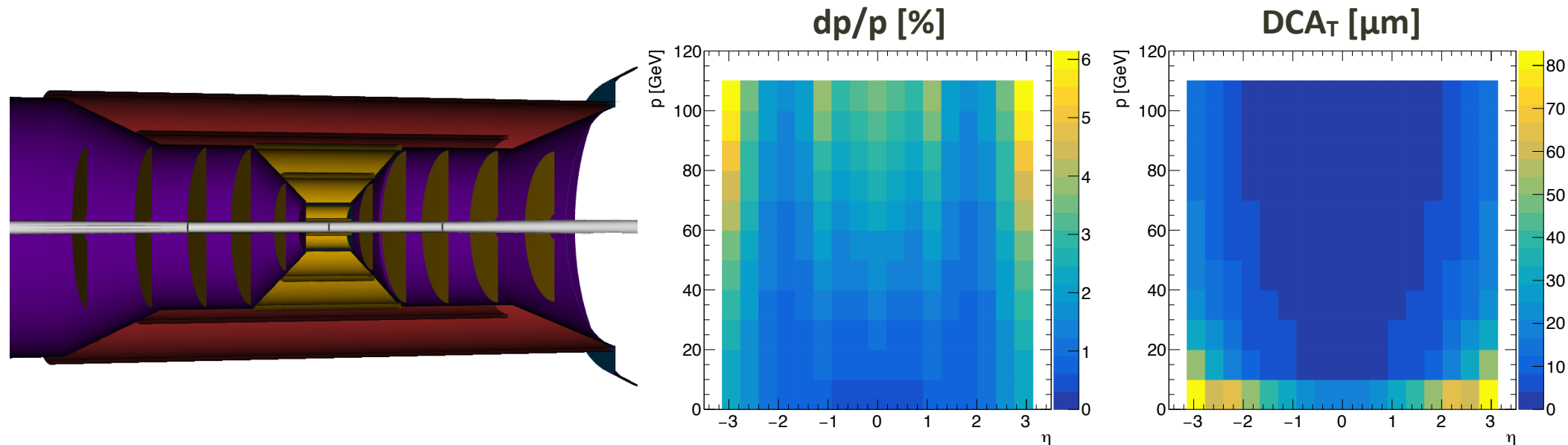
arXiv: 1610.08536

Reduce BG/SG

- ❖ Good $\pi/K/p$ separation power
- ❖ Good pointing resolution
- ❖ Good momentum resolution

Analysis framework

- ▶ Reconstruct D^0 from $K\pi$, Λ_c from $K\pi p$ with analysis selections
 - ❖ Include realistic detector responses
 - ❖ Project statistical uncertainty to EIC luminosity
- ▶ Single track smearing (both p and vertex) using parameters from a fast simulation package with the baseline tracking system of the ePIC detector
 - ❖ The parameters in the tracking fast simulation are bench-marked against GEANT-based full simulation

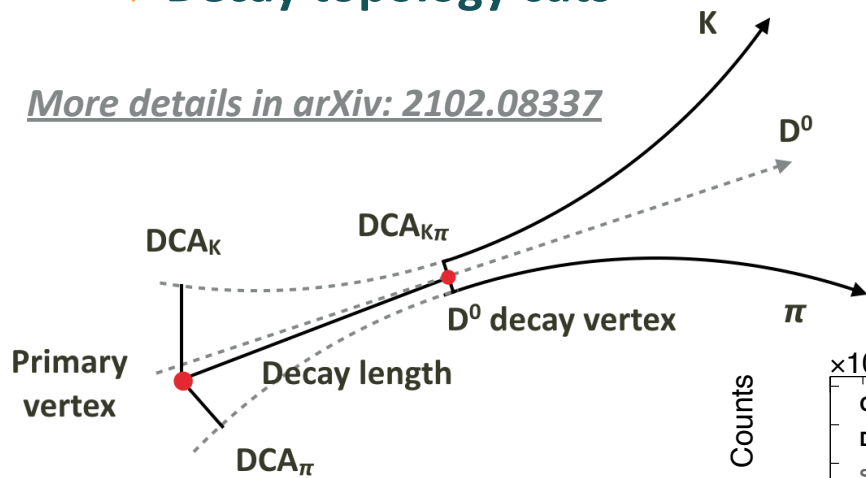


Measurement of D^0

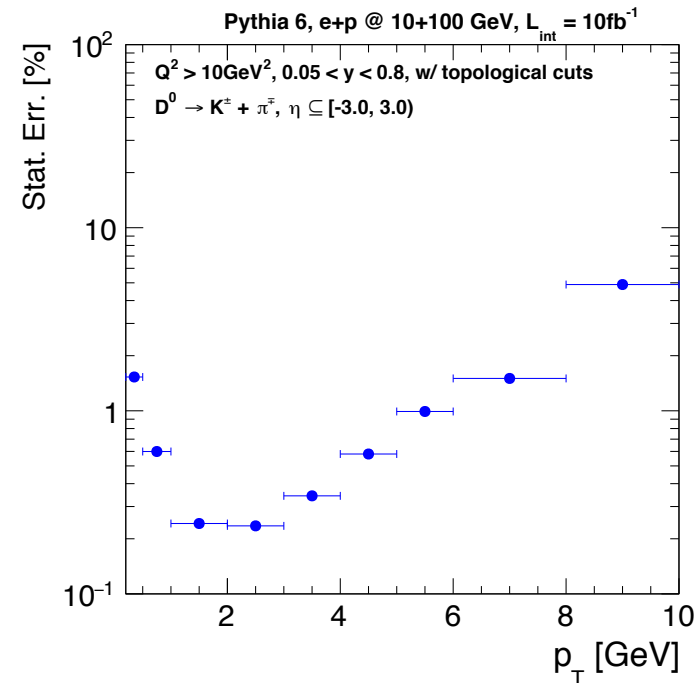
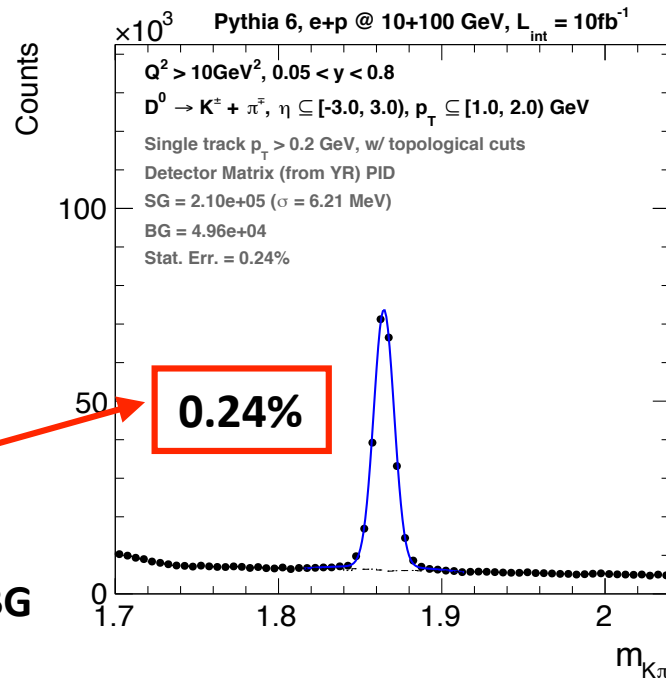
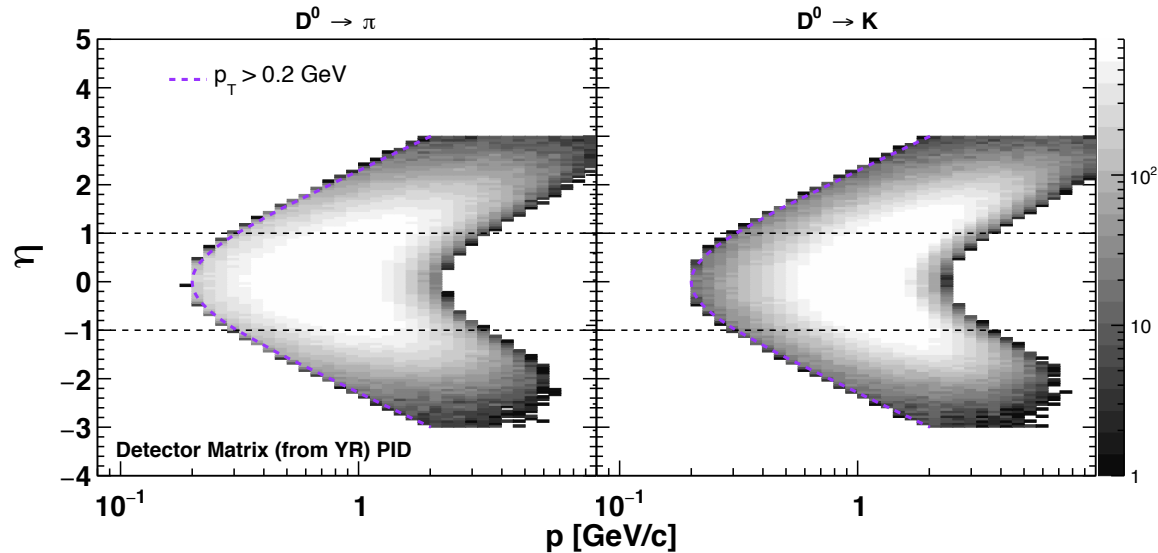
► D^0 selection

- ❖ $p_T > 0.2 \text{ GeV}$
- ❖ Identified π/K
- ❖ Decay topology cuts

More details in arXiv: 2102.08337



Pythia6 e+p @ 10+100 GeV, Min Bias ($Q^2 > 10 \text{ GeV}^2$), D^0 in $\eta [-3.0, 3.0]$, $p_T [1.0, 2.0] \text{ GeV}$



Stat. Err. = $\sqrt{(SG+BG)/SG}$
 = $\sqrt{(1+BG/SG)/SG}$

- ➡ decrease with increasing SG
- ➡ decrease with decreasing BG

Measurement of Λ_c

► Λ_c selection

- ❖ $p_T > 0.2 \text{ GeV}$
- ❖ Identified $\pi/K/p$
- ❖ Decay topology cuts

More details in arXiv: 2102.08337

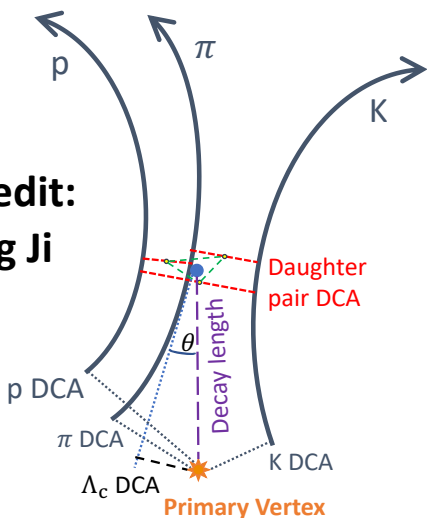
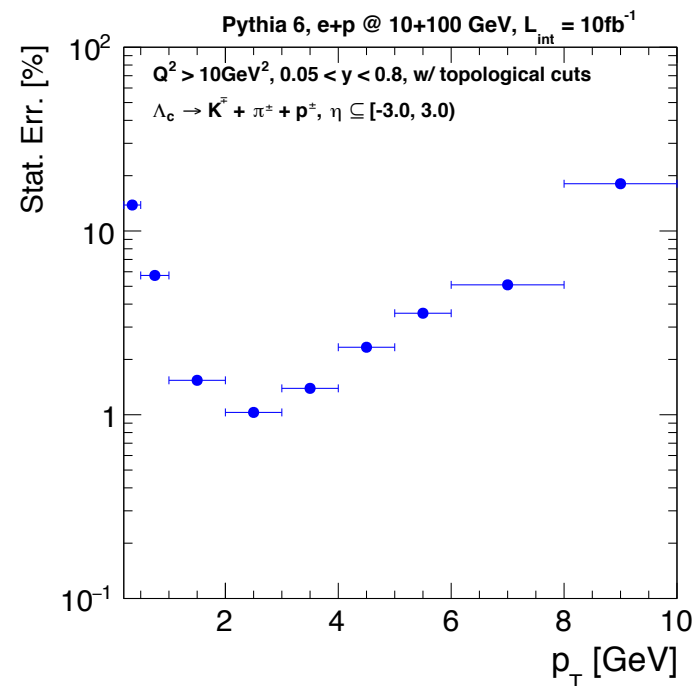
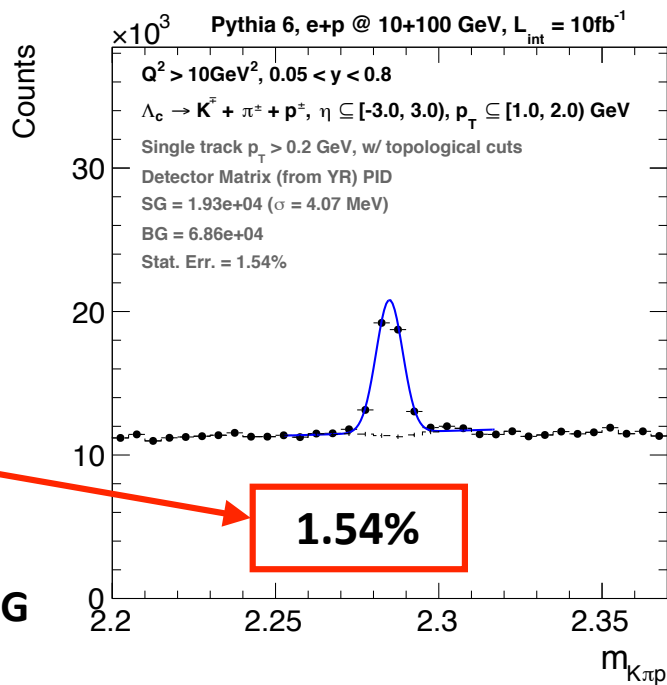
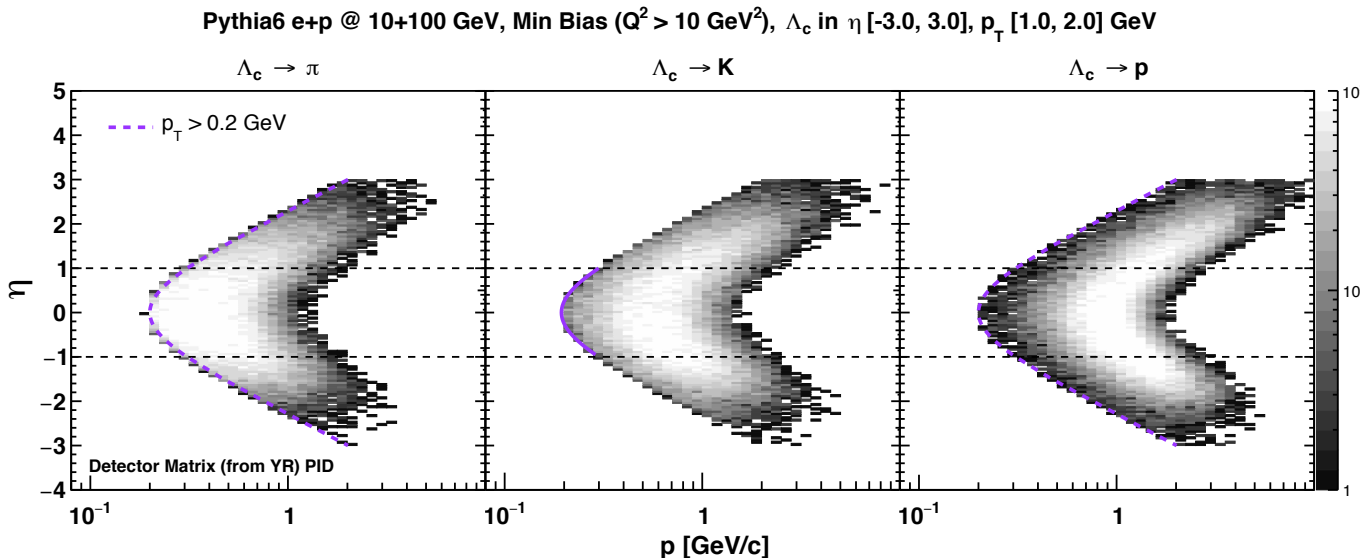


Figure credit:
Yuanjing Ji



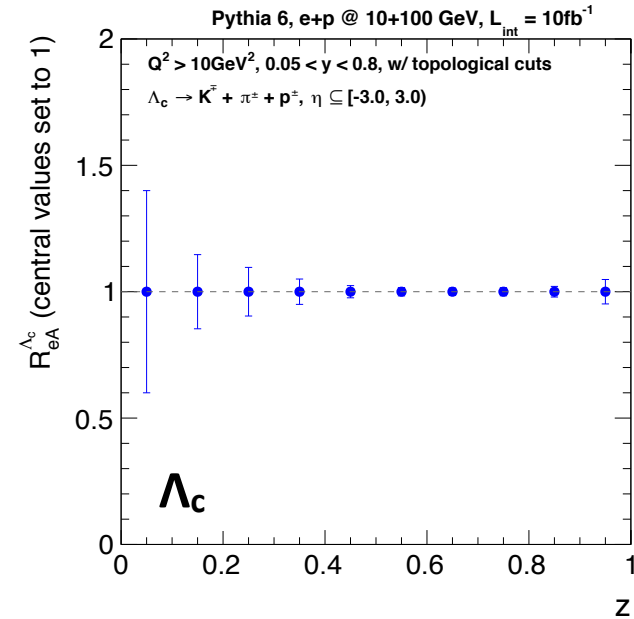
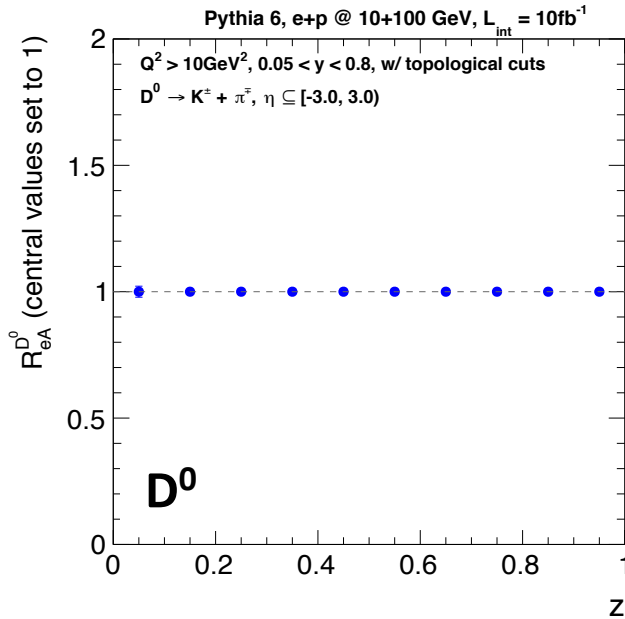
$$\text{Stat. Err.} = \sqrt{(SG+BG)/SG}$$

$$= \sqrt{(1+BG/SG)/SG}$$

- ➡ decrease with increasing SG
- ➡ decrease with decreasing BG

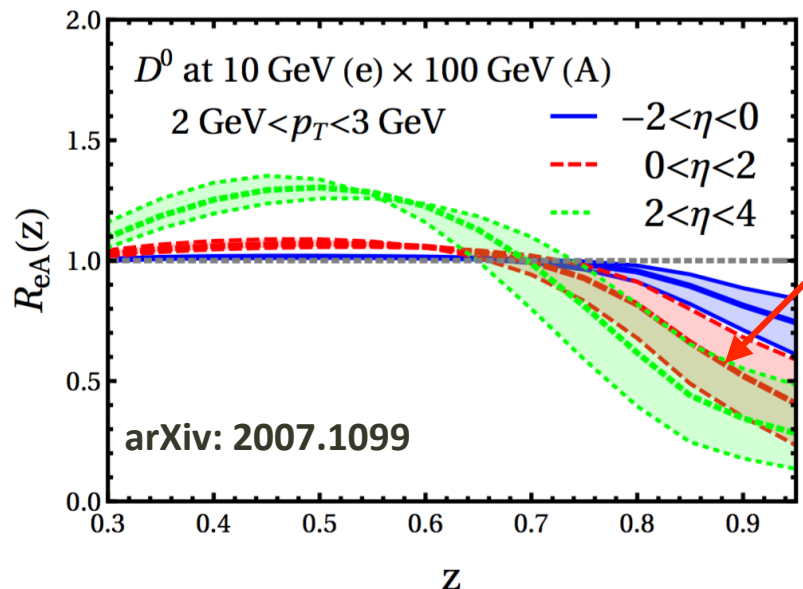
Precision and physics impact

- ▶ Projected stat. uncertainty on R_{eA}
 - ❖ High accuracy for D^0 : <1%
 - ❖ Moderate accuracy for Λ_c : 1-10%

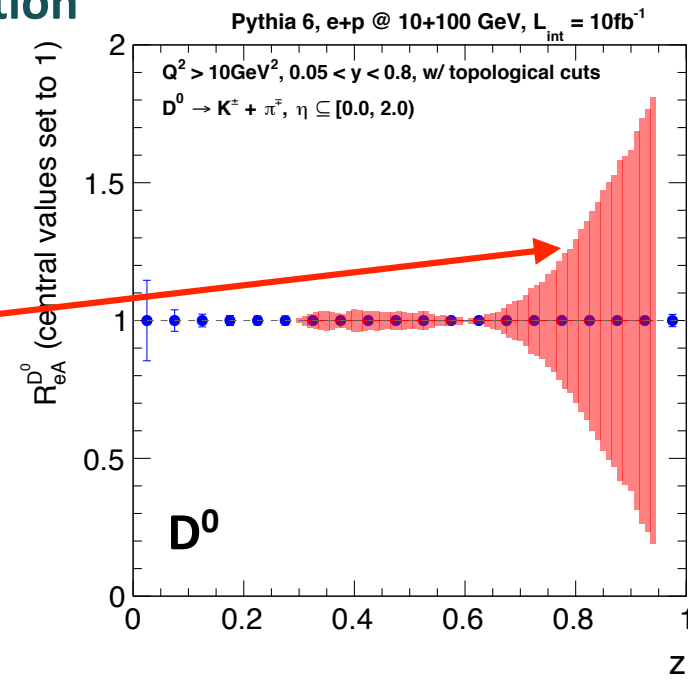


- ▶ Compare to partonic energy loss model

- ❖ Constraining transport coefficient (characterize interaction strength between the parton and nuclear medium)



Transport coefficient varied by a factor of 2



Summary

- ▶ R_{eA} with projected statistical precision with realistic detector effects via fast smearing framework
 - ❖ High accuracy (<1%) for D^0 and moderate accuracy (1-10%) for Λ_c
- ▶ More differential measurements of R_{eA} as functions of x , v and system sizes
- ▶ Compare with different models
 - ❖ More detailed comparison with the partonic energy loss model to evaluate the impact on constraining the transport coefficient in the cold nuclear matter

PRD 103.L031901

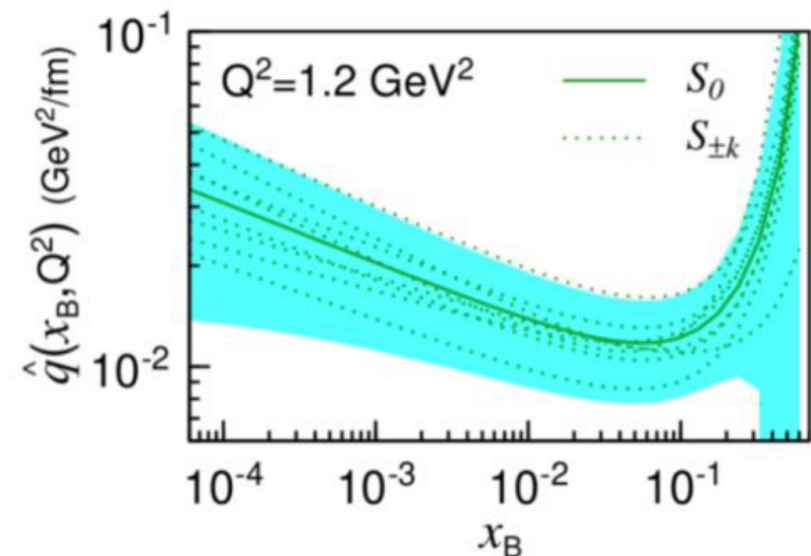
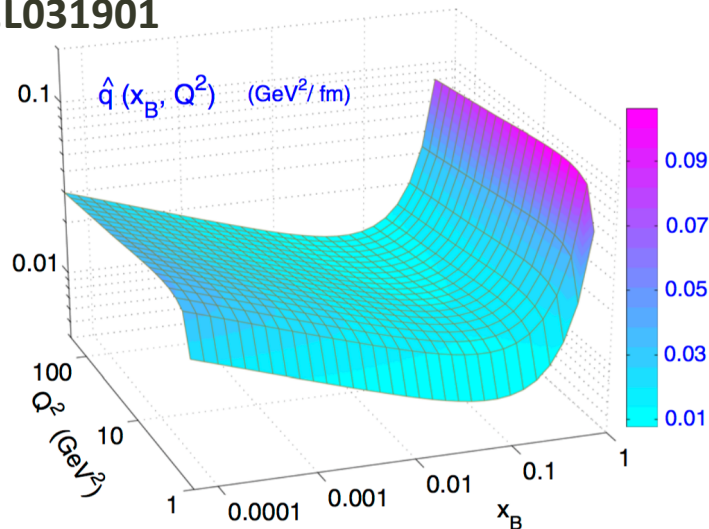


FIG. 4. The extracted \hat{q} as functions of Bjorken x_B and scale Q^2 , the color bar show the \hat{q} values.